

# Corrections to Searle's "LINEAR MODELS"

BU-508-M

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## Corrections made in 2<sup>nd</sup> Printing

(Corrections made in 3<sup>rd</sup> Printing: see p. 8)

(Corrections needed for 4<sup>th</sup> Printing: see p. 9)

### Page/line

- v/10: structures should be strictures
- vi/22: estimators should be solutions
- xix/9: and should be of (sums of squares)
- 22/3:  $\underline{H}'$  should be  $\underline{H}$
- 23/6 up: (1969) should be (1969a)
- 23/4 up: delete two
- 25/4: remove prime from by and put after the first  $\underline{M}$ ; i.e.,  
"by  $\underline{M}'(\underline{MM}')^{-1}\underline{A}_{-11}$ "
- 35/7:  $\underline{x} = 0$  should be  $\underline{x} \neq 0$
- 35/10 up:  $\underline{y}'\underline{I}\underline{y}$  (insert prime after first  $\underline{y}$ )
- 36/Lemma 2: Add "or is not" after "P'AP is" and after "A is"
- 42/1:  $\partial t$  should be  $\partial t^k$
- 50/mid-page: In 5 places  $v$  should be italicized.
- 51/mid-page: (38) should be (35)
- 53/8 up: Thus if  $u_1$  is  $\chi^2'(u_1, \lambda_1)$  should be Thus if  $u_1$  is  $\chi^2'(n_1, \lambda_1)$
- 88/mid-page: Then  $\text{var}(\underline{\lambda}'\underline{y}) =$  should be Then  $v(\underline{\lambda}'\underline{y}) =$  (the  $v$  being in italics).

Page/line

- 91/2: predicted should be fitted (in italics)
- 97/2:  $\text{var}[E(y)]$  should be  $\widehat{\text{var}[E(y)]}$
- 100/4:  $x$ 's should be  $x^2$ 's (in title of e.)
- 102/Table 3.3: In the residual error sum of squares the last element   
  $-\hat{\ell}'X'y$  should be  $-\hat{\ell}'\tilde{X}'y$ .
- 112/10:  $K'b = m$  of the null hypothesis should be in bold face type.
- 121/4 up: 152.2 should be 152.55
- 129/13 up: Exercise 20 should be 19
- 131/11:  $\sqrt{a^{ii}}$  should be  $\sqrt{a^{ii}\hat{\sigma}^2}$  (i.e., in 11'th item on that page)
- 132/4 up: In (iii),  $\tilde{b} = \hat{\ell} +$  should be  $\tilde{b} = \hat{b} +$
- 132/2 up: In (iv), the first part of  $\tilde{b}$  is  $\hat{b}_{-p} = \hat{\ell} +$  and it should be  $\tilde{\ell}_{-p} = \hat{\ell}_{-p} +$
- 133/3: Last letter  $\tilde{b}$  should be  $\tilde{\ell}$
- 133/Ex. 11:  $y'y - (SSE + Q)$  should be  $[y'y - (SSE + Q)]/\sigma^2$
- 133/Ex. 13: Sec. 6c should be Sec. 6d
- 133/11 up: 204.3 should be 204.65
- 133/7 up: SSR should be  $SSR_m$  (twice)
- 161/8:  $4\frac{1}{2}$  should be  $5\frac{1}{2}$
- 179/Table 5.7:  $F(R) = 6545.1$  should be 654.51
- 180/5 of Sec.4:  $q$  should be  $q'$

Page/line

196/8: A zero is missing in H in the 3,4 position.

196/mid-page: (58) should be (85)

199/3:  $Q =$  should be  $F(H) =$

201/mid-page:  $+ 2(2)218(52)$  should be  $+ 2(2)218(82)$

214/3 below Eq.(110): the complete should be a complete

223/8 up:  $- b^{\circ} \underline{T} \underline{w}$  should be  $- b^{\circ} \underline{T}' \underline{w}$  (prime on T)

234/last: variation should be total sum of squares

236/Eq. (48): The second + sign should be  $\pm$

239/11 up:  $E(\bar{y})$  should be  $NE(\bar{y})$

245/Table 6.3: Last term of first row should be  $n \cdot \bar{y}_{..}^2 / \sigma^2$  (superscript 2 on  $\bar{y}_{..}$ ) .

250/above (67): model (56) should be model (66)

251/Eq. (69):  $y_{2.}$  should be  $y_{2..}$

253/3: 5.99 should be 5.59

253/5: Delete do not

253/6: accounts should be does not account

254/5: fitting  $\mu$  and  $\alpha$  should be fitting  $\alpha$  after  $\mu$

Page/line

- 257/10:  $F(\beta : \alpha | \mu, \alpha)$  should be  $F(\alpha | \mu)$
- 260/6:  $c$  should be  $a$
- 260/Ex. 10:  $R(\alpha | \mu)$  should be  $R(\alpha | \mu) / \sigma^2$   
 $R(\beta : \alpha | \alpha, \mu)$  should be  $R(\beta : \alpha | \alpha, \mu) / \sigma^2$
- 264/Sec. b: Delete last word, for.
- 266/Sec. d: In line 5, more should be fewer.
- 268/2:  $\alpha_n^0$  should be  $\alpha_a^0$
- 268/4: (see Chapter 1) should be (see Sec. 1.1).
- 268/6: Delete subscript  $q$  from  $b_q$
- 278/Table 7.4: Upper right and lower left entries:  $\alpha$  and  $\beta$  should be Impossible
- 285/Table 7.5: In the second sum of squares,  $\bar{y}_i.$  should be  $\bar{y}_i$ . (dot too high).
- 285/Table 7.5: In residual error sum of squares,  $\sum_i \sum_j (y_{ij} - \bar{y}_{..})^2$  should be  
 $\sum_i \sum_j (y_{ij} - \bar{y}_{i.} - \bar{y}_{.j} + \bar{y}_{..})^2$
- 292/7 of Sec.d:  $j$  of  $y_{.j}$  needs its dot
- 302/7 up:  $- \gamma_{12}$  should be  $- \gamma_{13}$
- 309/3:  $L'y$  should be  $L'\bar{y}$  (bar over  $y$ )
- 310/7 up: Shift -6 right, to be above 11
- 313/20:  $\underline{\ell}'_1 D \underline{\ell}_j$  should be  $\underline{\ell}'_1 D \underline{\ell}_j^*$  (star)
- 313/21:  $\underline{\ell}'_j$  should be  $\underline{\ell}_j^*$  (star)

Page/line

313/23:  $\ell_j'D$  at start of line should be  $\ell_i'D$  (i not j)

313/23: }  $\ell_j'$  should be  $\ell_j^*$  (star)  
313/24: }

313/25:  $\ell_j$  should be  $\ell_j^*$  (twice)

327/Ex. 6: In line 3,  $A = \{a^{ii}\}$  should be  $A^{-1} = \{a^{ii}\}$

327/last:  $\sum_{i=1}^a (\bar{x}_{i.} - \bar{x}_{..})^2$  should be  $\sum_{i=1}^a n_i (\bar{x}_{i.} - \bar{x}_{..})^2$

330/middle:  $\bar{y}_{..}$  should be  $\bar{y}_{22}$

342/9 up: Exercise 3 should be 4

343/13:  $\underline{b} = (R'_{-Z} R_{-Z})^{-1} R'_{-Z} y$ ; the  $\underline{b}$  should be  $\hat{b}$  (hat). [just after (14)]

343/16: z-variables should be z-residuals (z stays italicized)

343/10 up: model.] should be model, including  $\mu$ .]

356/Eq. (49):  $z_{i.}^2$  should be  $\bar{z}_{i.}^2$  (bar)

$z_{i.}$  should be  $\bar{z}_{i.}$  (bar)

357/4 up: The "1" should be shifted right, over the minus sign of the c-1.

359/line 2 below Table 8.8:  $/n_{.2}$ , should be  $/n_{.}$ ,

366/below (65): In  $E(\text{MSAB}_u)$ ,  $\gamma_{..}$  should be  $\bar{\gamma}_{..}$  (bar)

370/line 2 of body of Table:  $\text{MSA}_w$  should be  $\text{MSB}_w$

371/Eq. (68): Delete  $w_i$

375/Exercise 12: The entries for Treatment 3 should be

- 6 6 4  
2 8 6  
5  
7

Page/line

387/7 up:  $4\sigma_{\alpha}^2$  should be  $4\sigma_{\beta}^2$

382/Sec.3, line 9: progeny should be progeny

389/last: with AB should be within AB

396/3 up:  $\sum_{i=1}^b$  should be  $\sum_{j=1}^b$  (j not i)

397/2 up from Table 9.6:  $\bar{y}_{j.}'$  should be  $\bar{y}_{i.}'$  (i not j)

397/2 up:  $y_{.j} + y_{..}$  should be  $\bar{y}_{.j} + \bar{y}_{..}$  (bars)

398/Eq.(19) 6'th term:  $\bar{\mu}_{ij}$  should be  $\mu_{ij}$

last term:  $\bar{e}_{...}$  should be  $e_{ijk}$

398/2 up from Eq.(21): delete period and add:  $+\sigma_e^2$ .

400/1 below Eq.(25): distributed independently of should be uncorrelated with

401/5 up: independent of should be uncorrelated with

408/last line before Sec.9: Sec. 9d should be 9e (e not d)

425/Eq.(15):  $n_{...}$  should be  $n_{..}$

438/8: In  $k_2$  insert minus before  $2(a-1)$

438/11: In the denominator of  $k_3$ ,  $(N^2 - S_2)$  should be  $(N^2 - S_2)^2$

445/13: Delete comma after  $b_2$ .

459/last line before (99): The sentence should be "Then, because  $\text{var}(\underline{e}) = \underline{R}$ ,  
the normal equations for the now completely fixed effects model  
would be"

Page/line

462/8:  $(\widehat{Eu|y})$  should be  $\widehat{E(u|y)}$

463/3: The denominator of  $\tilde{\mu}$  needs a  $\Sigma$  sign.

471/Eq. (150):  $+ t(\text{SSE})$  should be  $- t(\text{SSE})$

474/2:  $T_A$  should be  $T_A = \sum_{i=1}^a y_{i.}^2 / n_i$

474/last:  $+ t(T_O - T_A)$  should be  $- t(T_O - T_A)$

480/Table 11.1:  $k_{15}$  should be  $k_{15} = \Sigma_i (\Sigma_j n_{ij} n_{.j})^2 / n_i$

$k_{28}$  should be  $k_{28} = \Sigma_i \Sigma_j n_{ij}^4 / n_i \cdot n_{.j}$

481/ $\hat{\sigma}_Y^2$  before section c:

$(N - k_1) \delta_B$  should be  $(N - k'_1) \delta_B$  (prime on  $k_1$ )

last term  $+ k_{23}$  should be  $+ k'_{23}$  (prime on  $k_{23}$ )

481/between lines 5-4 up: add

and  $\text{cov}(\hat{\sigma}_e^2, \hat{\sigma}_e^2) = -P^{-1} f_v(\hat{\sigma}_e^2)$ , from (46) on page 434

482/Title to first row:  $2\sigma_\alpha$  should be  $2\sigma_\alpha^4$

483/9 up:  $h_7 = N - h_4 = h_8$  should be  $h_7 = N - k_4 = h_8$

488/5-7: The sentence containing  $\text{var}(\hat{\sigma}^2)$  should read as:

Therefore

$$\text{var}(\hat{\sigma}^2) = Q^{-1} H \text{var}(t) H' Q^{-1} + 2 q_3 q_3' \sigma_e^4 (N - s)$$

where  $q_3$  is column 3 of  $Q^{-1}$ .

488/3 up:  $-(a + b) \hat{\sigma}_e^2$  should be  $-(a + b - 2) \hat{\sigma}_e^2$

520/16 up: marketing should be management

526/3:  $\alpha = 0.5$  on figure should be  $\alpha = .05$

Corrections made in 3<sup>rd</sup> Printing

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205/7 up:  $+ P'\underline{\theta}$  should be  $+ \underline{P}\underline{\theta}$  (delete the prime from  $\underline{P}$ )

207/Eq. (100): This should be

$$F(H_r) = (SSE_{r,H} - SSE_r)/\hat{s\sigma}_r^2 \quad (100)$$

211/3 up: The line for  $F(H_r)$  should be

$$F(H_r) = \frac{SSE - SSE_r + (\underline{Q}'\underline{b}^0 - \underline{l})'(\underline{Q}'\underline{G}\underline{Q})^{-1}(\underline{Q}'\underline{b}^0 - \underline{l})}{\hat{s\sigma}_r^2}$$

212/4-3 up: Replace "and from Lemma 6 of Chapter 1"

by "and by applying Lemma 6 to (30) in Chapter 1"

290/1: In the table headings  $\gamma_3^0$  should be  $\gamma_{13}^0$

316/4:  $R(\mu|\alpha)$  should be  $R(\alpha|\mu)$

316/7:  $R(\mu|\alpha)$  should be  $R(\alpha|\mu)$

343/13: The caret in  $\hat{b}$  = needs clarifying.

353/3: p. 385 should be p. 393

360/Equations  
(58) thru (62):  $z_{ij}$  should be  $z_{ijk}$  (5 times)

366/2 below  
Table 8.12:  $-\bar{x}_{\cdot}^2/ab$  should be  $-x_{\cdot}^2/ab$  (delete bar)

376/4: The semi-colon after are should be a comma.

486/5 of  
section b:  $-k_4'$  should be  $-k_4$  (delete prime)

488/3 up from  
section d:  $q_3q_3'$  should be in bold face type.

488/2 up from  
section d:  $q_3$  should be in bold face type.

490/7:  $(\underline{X}\underline{T}\underline{X}')^{\sim}$  should be  $(\underline{X}'\underline{T}\underline{X})^{\sim}$  (shift prime)

491/5:  $\sigma_{\mu}^2$  should be  $\sigma_{\alpha}^2$



Corrections needed for 4<sup>th</sup> Printing

Page/line

15/4 up: align the 8 in  $+2(-8)$

28/4 up from Sec.8: Add "AB," between "has" and AA<sup>-</sup> .

52/10 up: In the last integral on the page, the term in  $z$  is

$z^{\frac{1}{2}n_2} + \frac{1}{2}n_2 + k - 1$  and should be  $z^{\frac{1}{2}n_1} + \frac{1}{2}n_2 + k - 1$  ;  
the first  $n_2$  should be  $n_1$  .

61/1: Above the  $\Sigma$ ,  $n$  should be  $p$  .

61/3: mutually should be pairwise

63/6 up:  $\sum_{r \neq i \neq j}^p X_i$  should be  $\sum_{r \neq i \neq j}^p X_r$  (change an  $i$  to  $r$ )

69/6:  $(A_{\mu} + \frac{1}{2}m)'V(A_{\mu} + \frac{1}{2}m)$  should be  $\frac{1}{2}(A_{\mu} + \frac{1}{2}m)'V(A_{\mu} + \frac{1}{2}m)$

72/running head: should be DISTRIBUTIONS (plural)

74/3: Corollary 2.1 should be 2.4

108/first line after (93): of  $\alpha$  should be of  $\frac{1}{2}\alpha$

130/2 up from Sec. 8: Thiel should be Theil

134/Ex. 19:  $\text{cov}(\underline{e}, \hat{\underline{b}}) = \underline{X}(\underline{X}'\underline{X})^{-1}\sigma^2$  not  $\sigma^2\underline{I}$

160/running head: OF should be TO

164/3 up: Add comma after  $\underline{X}\underline{b}$  :  $(\underline{X}\underline{b}, \sigma^2\underline{I})$

174/last sentence of b: Replace that  $1\frac{1}{2}$ -line sentence with

"Notice that the variance-covariance matrix of  $\underline{b}^0$  is singular."

189/last 4 lines: Replace with "Because  $\underline{K}' = \underline{S}'\underline{X}'\underline{X}$  and because  $\underline{K}'$  has full row rank it follows that  $\underline{S}'\underline{X}'$  has full row rank; furthermore"

Page/line

190/1-2: Delete top 2 lines.

190/9 up:  $\tilde{X}'(\tilde{I} - \tilde{X}\tilde{G}\tilde{X}) = \tilde{0}$  should be  $\tilde{X}'(\tilde{I} - \tilde{X}\tilde{G}\tilde{X}') = \tilde{0}$  ; i.e., add a prime

194/bottom\*: Delete last paragraph commencing at "A further extension ..."

195/top\*: Delete top 2 lines

195/Sec. e\*: Replace everything after the first paragraph by the following:

Suppose, however, that checking the estimability of  $\tilde{K}'\tilde{b}$  in this manner is overlooked and  $Q$  is calculated. Then, if in fact  $\tilde{K}'\tilde{b}$  is not estimable, what hypothesis, if any, is  $F(H) = Q/s\hat{\sigma}^2$  testing? In general, the answer appears to be unknown. However, the answer is known for a particular form of generalized inverse, namely, when it is both symmetric and reflexive, i.e., satisfying  $\tilde{G} = \tilde{G}' = \tilde{G}\tilde{X}'\tilde{X}\tilde{G}$ . Then for  $\tilde{K}'\tilde{b}$  not estimable,  $F(H)$  tests  $H: \tilde{K}'\tilde{H}\tilde{b} = \tilde{m}$ . This is so because on using a symmetric reflexive  $\tilde{G}$  the value of  $Q$  for testing  $H: \tilde{K}'\tilde{H}\tilde{b} = \tilde{m}$  is

$$\begin{aligned} Q_1 &= (\tilde{K}'\tilde{H}\tilde{b}^0 - \tilde{m})'(\tilde{K}'\tilde{H}\tilde{G}\tilde{H}'\tilde{K})^{-1}(\tilde{K}'\tilde{H}\tilde{b}^0 - \tilde{m}) \\ &= (\tilde{K}'\tilde{G}\tilde{X}'\tilde{X}\tilde{G}\tilde{X}'\tilde{y} - \tilde{m})'(\tilde{K}'\tilde{G}\tilde{X}'\tilde{X}\tilde{G}\tilde{X}'\tilde{X}\tilde{G}\tilde{X}'\tilde{K})^{-1}(\tilde{K}'\tilde{G}\tilde{X}'\tilde{X}\tilde{G}\tilde{X}'\tilde{y} - \tilde{m}) \\ &= (\tilde{K}'\tilde{G}\tilde{X}'\tilde{y} - \tilde{m})'(\tilde{K}'\tilde{G}\tilde{K})^{-1}(\tilde{K}'\tilde{G}\tilde{X}'\tilde{y} - \tilde{m}) \quad \text{when } \tilde{G} = \tilde{G}' = \tilde{G}\tilde{X}'\tilde{X}\tilde{G} \\ &= (\tilde{K}'\tilde{b}^0 - \tilde{m})(\tilde{K}'\tilde{G}\tilde{K})^{-1}(\tilde{K}'\tilde{b}^0 - \tilde{m}) \\ &= Q \end{aligned} \tag{80}$$

Notice that with  $\tilde{X}'\tilde{X}$  being symmetric, derivation of a generalized inverse will often be based on the simplified form of the algorithm of Sec. 1.1b, using a non-singular principal minor of  $\tilde{X}'\tilde{X}$  having the same rank as  $\tilde{X}'\tilde{X}$ . In this case  $\tilde{G}$  will be symmetric

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\* These corrections must be made either all together or not at all.

and reflexive, (80) will be satisfied, and  $F(H)$  for the non-testable hypothesis

$H: \underline{K}'\underline{b} = \underline{m}$  will be a test for the testable hypothesis  $H: \underline{K}'\underline{Hb} = \underline{m}$ .

Suppose the hypothesis  $H: \underline{K}'\underline{b} = \underline{m}$  can be written as

$$H: \begin{bmatrix} \underline{K}'\underline{b} \\ \underline{1} \end{bmatrix} = \begin{bmatrix} \underline{m} \\ \underline{1} \end{bmatrix} \quad (81)$$

where  $\underline{K}'\underline{b}$  is estimable and  $\underline{K}'\underline{b}$  is not. Suppose further that  $Q$  for this hypothesis can be calculated. Then by the preceding paragraph, providing  $\underline{G}$  is symmetric and reflexive, the hypothesis tested using  $Q$  is

$$H: \begin{bmatrix} \underline{K}'\underline{Hb} \\ \underline{1} \end{bmatrix} = \begin{bmatrix} \underline{m} \\ \underline{1} \end{bmatrix}, \text{ equivalent to } H: \begin{bmatrix} \underline{K}'\underline{b} \\ \underline{K}'\underline{Hb} \\ \underline{2} \end{bmatrix} = \begin{bmatrix} \underline{m} \\ \underline{1} \\ \underline{m} \\ \underline{2} \end{bmatrix}$$

because  $\underline{K}'\underline{b}$  is estimable.

Page/line

196/top\*: Delete first 3 lines.

199/6 up: Theorem 3 should be Theorem 4

199/3 up:  $(\underline{k}_j' \underline{G} \underline{k}_j)^{-1}$  should be  $(\underline{k}_j' \underline{G} \underline{k}_j)^{-1}$ ; i.e., add a prime.

199/2 up: sufficient should be necessary and sufficient

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\* These corrections (see 194/bottom, etc.) must be made either all together or not at all. See also 225/Exercise 7.

Page/line

212/13: a generalized inverse should be the generalized inverse  
 212/18: " " " should be " " "  
 212/19: " " " should be " " "

[Note: These changes revert the 2<sup>nd</sup> printing to the 1<sup>st</sup> printing, which is correct, as explained by the following footnote.]

212/14: is needed. should be is needed.\*

212/Footnote: Add the following footnote:

\* Use of "the" generalized inverse is correct here because it refers to the particular generalized inverse used to get a particular solution  $\underline{b}^0$

213/3: Sec. 1.5d should be Sec. 1.5b

213/line above (106): which reduce to should be which, on using  $\underline{y} = \underline{0}$  because the constraints being used are of the form  $\underline{b}_1^0 = 0$ , reduce to

216/6 lines above (117):  $\underline{y}$ . should be  $\underline{y}..$

219/last: In G, the last 1 should be 6

224/last: N - r should be p - r

225/Exercise 7\*: Replace by the following:

(a) Show that the numerator sum of squares for testing the hypothesis (81) can be expressed as the sum of that for testing  $H_1: K_1' \underline{b} = \underline{m}_1$  plus

$$(\underline{K}_2' \underline{b}_{H_1}^0 - \underline{m}_2)' \underline{W}^{-1} (\underline{K}_2' \underline{b}_{H_1}^0 - \underline{m}_2) \text{ for } \underline{W} = \underline{K}_2' [\underline{G} - \underline{G} \underline{K}_1 (\underline{K}_1' \underline{G} \underline{K}_1)^{-1} \underline{K}_1' \underline{G}] \underline{K}_2$$

where  $\underline{b}_{H_1}^0$  is a solution for  $\underline{b}^0$  under  $H_1$ .

(b) In terms of the example of Sec. 5.5f demonstrate (a) for the hypothesis  $H: \alpha_1 = \alpha_2 = 110$ . Also, by using one  $\underline{G}$  that is symmetric and reflexive and another that is not, verify the conclusions of Sec. 5.5e.

235/Eq.(42):  $\mu_1^0$  should be  $\mu^0$

277/5: Delete first word, "of"

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\* These corrections (see 195/top, etc.) must be made either all together or not at all.

Page/line

297/Eq.(69):  $n_{ij}$  should be  $n_{.j}$

305/Eq.(87):  $\gamma_{ij}$  should be  $\gamma_{ij'}$

326/2 up from Eq.(130):  $v(\hat{\rho}_i) = \sigma^2 \sum_j t_{ij}^2 / n_{ij}$  should be  $\hat{v}(\hat{\rho}_i) = \hat{\sigma}^2 \sum_j t_{ij}^2 / n_{ij}$

326/Eq.(130): Delete  $\hat{\sigma}^2$  from the denominator of equation (130).

353/3: p. 385). should be pp. 385 and 393).

358/Eq.(54):  $R(b, \mu, \alpha)$  should be  $R(b|\mu, \alpha)$

385/2 below Eq.(10):  $\sigma_{e \sim i}^2$  should be  $\sigma_{\alpha \sim i}^2$

396/2 above Eq.(14):  $bn$  should be  $abn$

396/1 above Eq.(14):  $an$  should be  $abn$

406/2:  $E(\tilde{\sigma}^2)$  should be  $E(\hat{\sigma}^2)$

406/1 of para.3:  $\tilde{\sigma}^2$  should be  $\hat{\sigma}^2$

409/Eq.(44): mutually should be pairwise (twice)

417/7 up:  $2[E(M^2)]/f$  should be  $2[E(M)]^2/f$

435/4 lines below (52):  $\mu$  and  $v$  should be  $u$  and  $v$

457/last line: unbiased should be biased

462/8:  $E(\widehat{u|y})$  should be  $E(\widehat{u|y})$

483/6 up: after following add based on Tables 10.1 and 10.2

483/5 up: on right margin add [10.2]

483/4 up: on right margin add [10.1]

483/3 up: on right margin add [10.1 and 10.2]

484/5 up on left side of table 11.3:  $j \neq j'$  should be  $j, j'$

484/3 up on left side of table 11.3:  $t_B = r' \tilde{C}^{-1} r$  should be  $t_B = r' \tilde{C}^{-1} r = R(\beta|\mu, \alpha)$

530/1, right-hand column: solutions should be solutions

530/19, left-hand column:  $\tilde{X}'\tilde{X}$  should be  $\tilde{X}'\tilde{X}$